

is found by setting off the lead  $g$  from  $h$  and drawing a perpendicular to the valve circle, giving the position of the eccentric with the crank at  $X_r$ .

When the main-crank angle is  $\angle j$ , the eccentric-crank angle is  $\angle + (90 + 0)$ ,

$$\angle + 90 + a + (9 - a),$$

.e.

—  $(9 - a)$ , the eccentric-crank angle is therefore the main crank is at  $-(6 - a)$ , putting  $\angle$  tric-crank angle is

$$-(9 - a) + 90 + a + (6 - a),$$

i.e.  $90 + a$ ,

and, as already seen, admission begins when the eccentric-crank angle is  $(90 + a)$ . Hence to find the point of admission set off in fig. 15,  $= (6 - a)$ , drawing the angle in the negative direction.

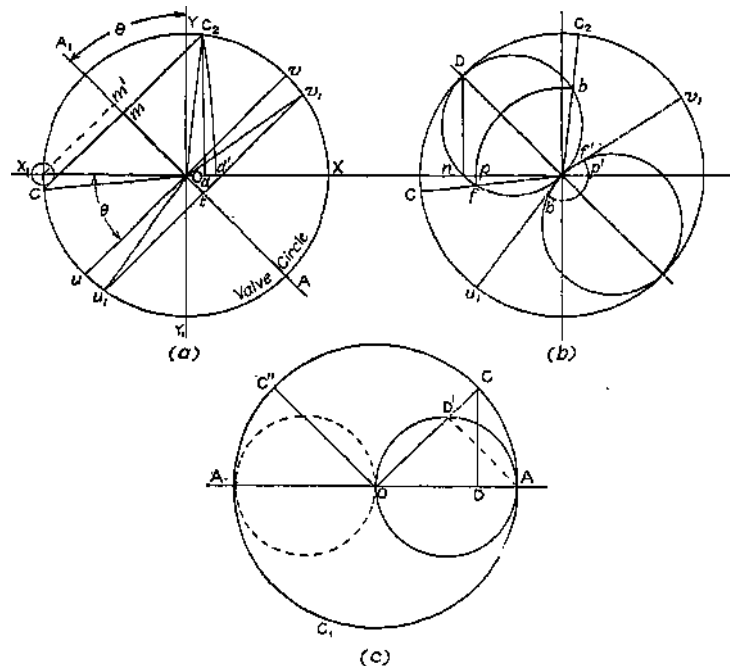


Fig. 16.—a, Reulaux Valve Diagram. b, Zeuner Valve Diagram, c, Zeuner Circles

Similarly when  $\angle cf$  is  $\angle - (9 - a)$ , the eccentric angle is  $\angle - (6 - a) + 90 + a + (9 - a)$ , i.e.  $90 + (a + \angle)$ , i.e. from fig. 15 b.  $C_2$  corresponds to the position of the main crank at cut-off, then angle  $CJQC_2$  is  $(6 - a)$ .

The important information wanted is the position of the main crank or the piston at the important events of admission, cut-off, release, and compression. Since the valve diagram leads the crank diagram by  $(90 + 6)$ , all that is

now required is to rotate the valve diagram  
 backwards through  $(90^\circ + \phi)$ ,  
 and read it as a crank diagram. This is done in  
 fig. 16 *a*, where  $Ou$  is the  
 line  $Ou$  of fig. 15 *b* rotated backwards through  
 $(90^\circ + \phi)$ , i.e.  $Ou$  is drawn  
 at  $\phi$  on negative side of  $OX$ . Through  $O$  draw  
 $AA'$  perpendicular to  $Ou$ .